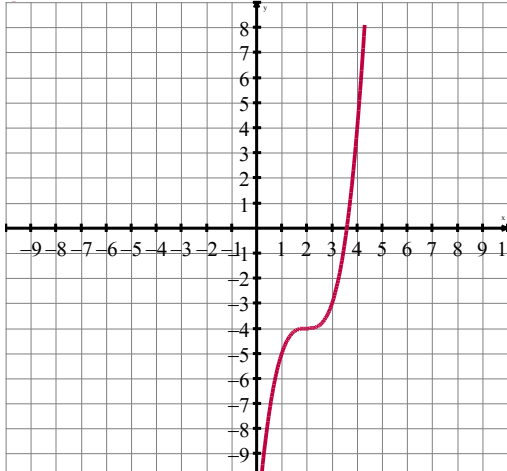


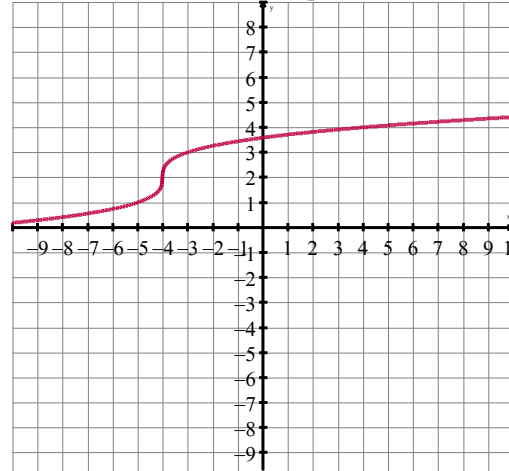
Transformations of Cubic and Cube Root Functions

Name: _____

Graph of $f(x)$



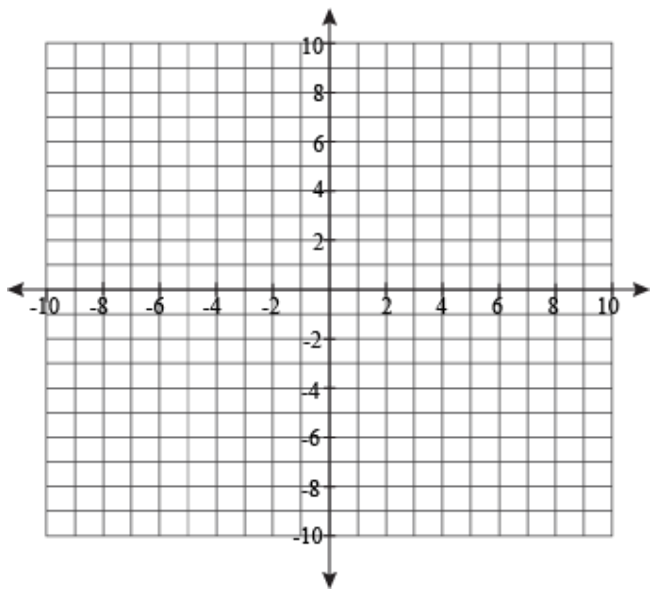
Graph of $g(x)$



The following are examples and non-examples of the two graphs shown above. Write "T" in the blank if the statement is true. Write "F" in the blank if the statement is false. Provide a justification in writing to explain each false statement.

Examples and Non-examples	Justification
___ 1. $f(x)$ is a cube root function and $g(x)$ is a cubic function.	
___ 2. $f(x)$ has been shifted 2 units right and 4 units down	
___ 3. The transformation $-f(x)$ is applied to create the function $j(x)$. The increasing interval for $j(x)$ is the same as the increasing interval for $f(x)$.	
___ 4. $f(x)$ was reflected either vertically or horizontally to create the graph shown above.	
___ 5. The transformation $g(x + 2)$ is applied to create the function $h(x)$. The y -intercept of $h(x)$ is greater than the y -intercept of $g(x)$.	
___ 6. A possible equation for $f(x)$ as graphed above is $f(x) = (x + 2)^3 - 4$.	
___ 7. $g(x)$ has been stretch vertically by a factor of 2.	
___ 8. The transformation $\frac{1}{2}f(-x)$ is applied to create the function $k(x)$. The x -intercept of $k(x)$ is greater than the x -intercept of $f(x)$.	
___ 9. A possible equation for $g(x)$ as graphed above is $g(x) = \sqrt[3]{(x + 4)} + 2$.	
___ 10. $f(x)$ and $g(x)$ are inverses.	

11) $f(x) = -\frac{1}{2}\sqrt[3]{x+4} + 1$



Vertex: _____

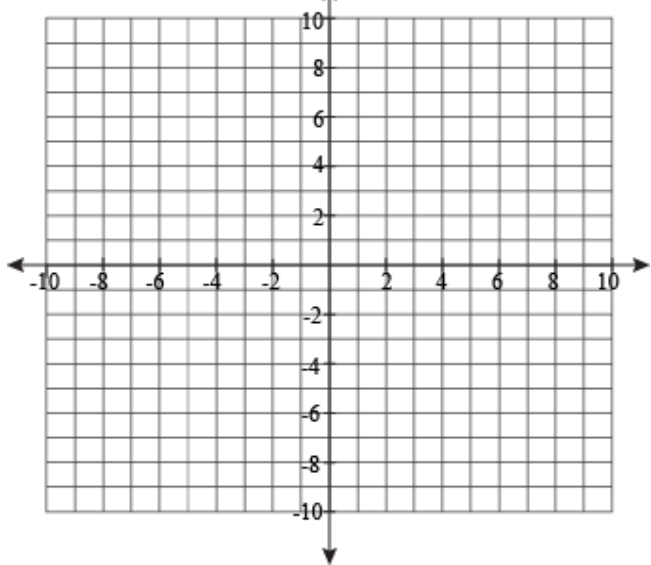
Increasing: _____ Decreasing: _____

Domain: _____ Range: _____

End behaviors: _____

Transformations: _____

12) $g(x) = \left(\frac{-1}{2}(x-2)\right)^3 - 4$



Vertex: _____

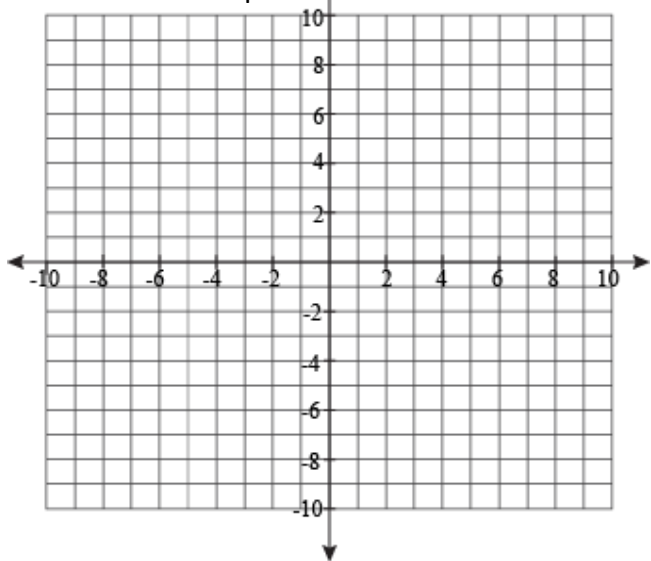
Increasing: _____ Decreasing: _____

Domain: _____ Range: _____

End behaviors: _____

Transformations: _____

13) Graph $f(x) = -\frac{1}{2}x^3 - 3$. Find the inverse $f^{-1}(x)$ and graph it on the same coordinate plane.



Write the transformations for $f(x)$:

Write the transformations of $f^{-1}(x)$:

Compare the transformations between $f(x)$ and $f^{-1}(x)$:
